

Chapter #6 and #7

Summer term 2020



■ Estimating the UIP

$$(1+i) = (1+i_a) \frac{w_{t+1}^e}{w} = E(W_{t+1})$$

↓ ln

$$\ln(1+i) = \ln(1+i_a) + \ln(w_{t+1}) - \ln(w)$$

$$\ln(1+x) \approx x$$

$$\ln(w_{t+1}) - \ln(w) = i - i_a$$

$$= \alpha + \beta(i - i_a) + \varepsilon$$

↑ 0 ↑ 1

assumption:
correct exp

W_{t+1} unbiased estimator

$$W_{t+1} = w_{t+1}^e + u_{t+1}$$

① risk premium for f_{t+1}

② Peso problem

③ Bubbles

④ Learning

⑤ endogeneity

w^t

■ Peso Problem

Mexiko $i > i_a$

but $w_{+1} = w$

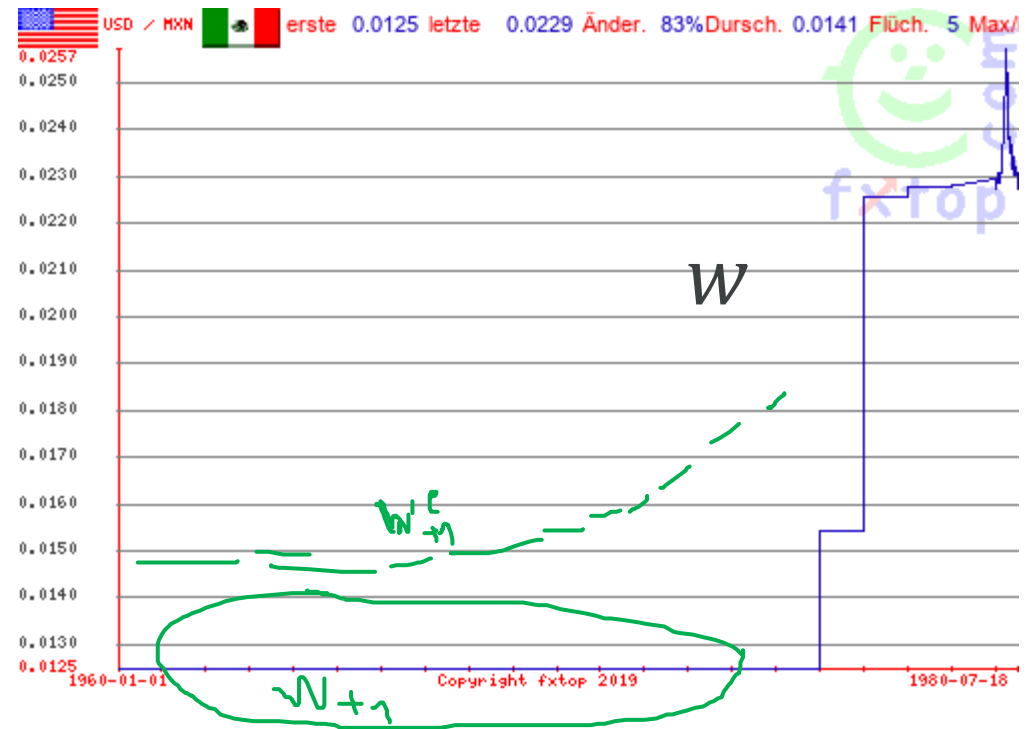
Correct expectations

$$w_{+1}^e = \underbrace{p}_{10\%} w^{flex} + \underbrace{(1-p)}_{90\%} w^{fix}$$

But time frame is too short

$$w_{+1}^e \neq w_{+1}$$

w_{+1} is a biased estimator for w_{+1}^e



■ Problem 8.2 dom. €

$$i = 3.6\% \quad i_a = 4.8\%$$

$$a_1 \quad \ln(w_{t+1}) - \ln(w_t) = i - i_a = \underline{-1.2\%}$$

UIP : $w \downarrow$ by $\approx 1.2\%$